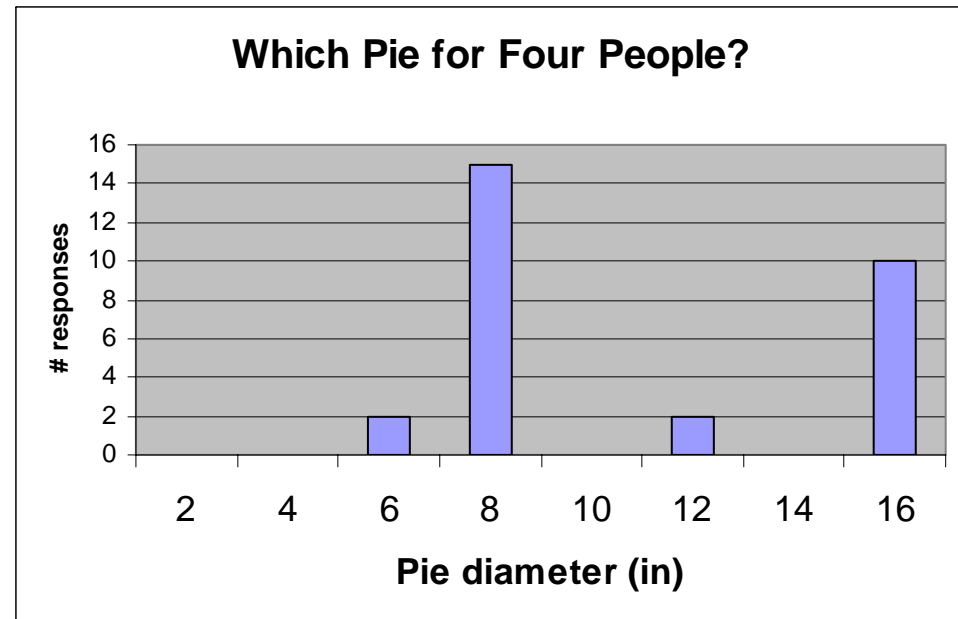


Pans for baking pies come in different sizes, identified by their diameters. A pastry shop specializes in making pies of any desired size, right down to a single-serving 4-inch tart. You are hosting a dinner with four people (yourself and three others). What size pie should you order from this shop (that is, what diameter)?

Responses from last year.



You have made a 1:1000 scale model of a battleship, and while painting it found that you had to cover  $110\text{cm}^2$ . What area of paint is required for the real thing? [Express in  $\text{m}^2$ .]

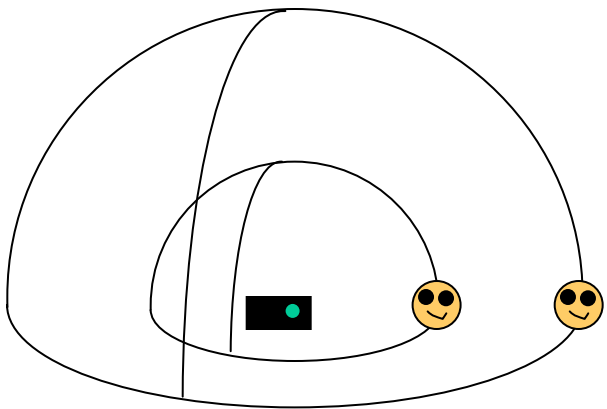
$$A \propto d^2$$

$$\frac{A_{\text{real}}}{A_{\text{model}}} = \frac{d_{\text{real}}^2}{d_{\text{model}}^2} = \left( \frac{d_{\text{real}}}{d_{\text{model}}} \right)^2 = 1000^2$$

$$A_{\text{real}} = 1000^2 A_{\text{model}} = 10^6 (110\text{cm}^2)$$

$$A_{\text{real}} = 10^6 (110\text{cm}^2) \left( \frac{1\text{m}}{100\text{cm}} \right)^2 = 11000\text{m}^2$$

Outside Dr. McLean's office, construction workers are blaring a radio so that from a distance of 25m the sound intensity is  $8 \times 10^{-4} \text{ W/m}^2$ . When he approaches to a distance of 10m (to ask them to turn it down) what is the intensity?



$$I \propto \frac{1}{r^2}$$



$$\frac{I_n}{I_f} = \frac{\frac{1}{r_n^2}}{\frac{1}{r_f^2}} = \frac{r_f^2}{r_n^2}$$

**Note how subscripts  
look upside down!**

$$I_n = I_f \frac{r_f^2}{r_n^2} = \left(8 \times 10^{-4} \text{ W/m}^2\right) \left(\frac{25\text{m}}{10\text{m}}\right)^2 = 5 \times 10^{-3} \text{ W/m}^2$$