

## Homework #6

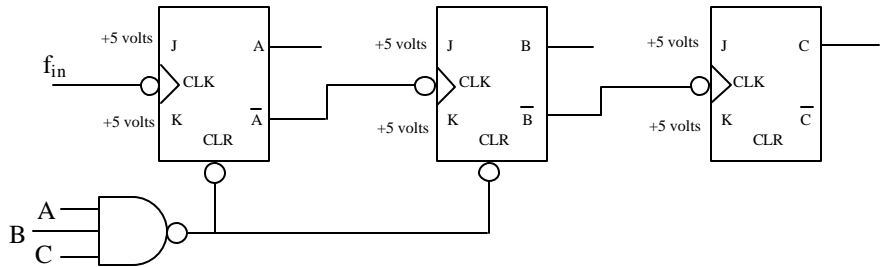
Digital Electronics

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**Assignment is due on Thursday, April 24, 2008**

Assigned April 8, 2008

1. The counting circuit shown has output  $CBA$ . If  $f_{in}$  is an oscillating input, what is the sequence of outputs generated?



2. Create a similar circuit that counts up from 0 through 5.

3. Convert the following decimal numbers into eight bit twos-complement representation.

- |         |         |         |         |
|---------|---------|---------|---------|
| a. +32  | e. +127 | i. -1   | m. +84  |
| b. -14  | f. -127 | j. -128 | n. +3   |
| c. +63  | g. +89  | k. +169 | o. -3   |
| d. -104 | h. -55  | l. 0    | p. -190 |

4. Convert the following eight bit twos-complement numbers into decimal form.

- |             |             |             |
|-------------|-------------|-------------|
| a. 01101    | e. 01111111 | i. 01100011 |
| b. 11101    | f. 10000000 | j. 11011001 |
| c. 01111011 | g. 11111111 |             |
| d. 10011001 | h. 10000001 |             |

5. a) What are the largest and smallest decimals that can be represented using 12-bit twos-complement representation? b) If you want to represent values from  $-32768$  to  $+32767$ , inclusive, how many bits would you need?

6. By hand, showing all steps and carry bits, complete these operations in base 10 and in base 2 (eight-bit twos complement), including error check bits. State whether any carry bit was ignored.

- |                    |                    |                    |
|--------------------|--------------------|--------------------|
| a. $(+9) + (+6)$   | e. $(+17) - (+16)$ | i. $(-17) + (+17)$ |
| b. $(+14) + (-17)$ | f. $(-13) - (+21)$ | j. $(-17) - (-17)$ |
| c. $(+19) + (-24)$ | g. $(+47) + (-47)$ | h. $(+37) + (+95)$ |
| d. $(-48) + (-80)$ | h. $(-15) + (-36)$ | i. $(-95) - (+37)$ |

7. The circuit shown is supposed to be a BCD adder. Determine the outputs  $Q_4Q_3Q_2Q_1Q_0$  for the nine sets of inputs. What is unusual about the eighth case?

$X_3$	$X_2$	$X_1$	$X_0$	$Y_3$	$Y_2$	$Y_1$	$Y_0$	$Z_0$
0	0	1	0	0	1	1	0	0
0	1	1	1	1	0	0	0	0
1	0	0	1	1	0	0	1	0
0	1	1	1	0	0	1	1	0
0	0	1	1	0	1	0	1	1
0	1	1	1	0	1	0	1	1
1	0	0	1	1	0	0	1	1
1	0	1	1	0	0	1	1	1
0	1	1	0	0	1	1	1	1

